

Examples which describe the determination of the material parameters or the permissible operating times for various applications are listed in this supplement.

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### 1 Strength parameter with constant stresses

Sought: Strength parameter  $K_K^*$   
 Given: Operating temperature  $\vartheta = 50^\circ\text{C}$   
 Service life  $t = 15$  years  
 Filling material Water

The strength parameter  $K_K$  is obtained from the creep strength diagram for pipes, e.g. made of PE 80 (Fig. 1). The line for a service life of 15 years intersects the  $50^\circ\text{C}$  creep curve for water at the  $P_1$  point. A line parallel to the abscissa through the  $P_1$  point results in the  $P_2$  point on the ordinate at which  $K_K^* = 4.6$  N/mm<sup>2</sup> can be read off.

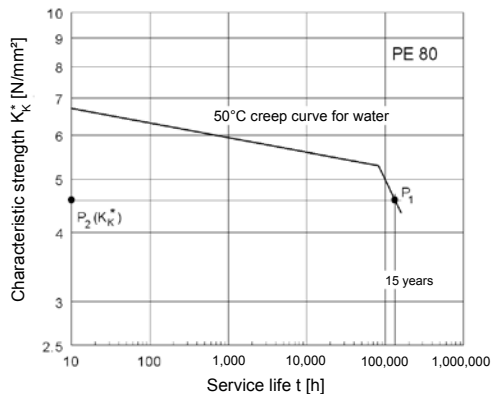


Figure 1. Determination of the strength parameter  $K_K^*$  with constant stresses.

### 2 Determination of the service life with intermittent stresses

#### Remarks:

The creep curves have been established with the absolute temperature  $T = (\vartheta + 273)$  in kelvin.

In order to estimate the computational service life  $t_x$  with intermittent stresses, the material parameter  $K_{S}^{\text{vorh}}$  assigned in each case is initially established with the existing stresses  $K_K^{\text{vorh}}$  of the individual partial stresses and the stipulated reduction coefficients  $A_1$  and  $A_2$  as well as with the safety coefficients and, if necessary, the welding factor  $f_S$ .

$$K_S^{\text{vorh}} = \frac{K_K^{\text{vorh}} \cdot \gamma_F \cdot \gamma_1 \cdot \gamma_M \cdot A_1 \cdot A_2}{(f_S)}$$

With this parameter, the relevant service life with partial stresses is read off the creep curves of the utilised material for the temperature in question. Thus, the resulting service life  $t_M$  can be calculated with the aid of Miner's rule (Equation (5) in DVS 2205-1).

In order to establish the influence of the ageing, the beginning ageing with partial stresses can be read off the heat ageing limit for the temperature in question (for PE and PP in DVS 2205-1, Supplement 1, Section 5 and Supplement 2, Section 5). A second calculation with Miner's rule (Equation (8) in DVS 2205-1) leads to the resulting ageing time  $t_A$ . The lower value of  $t_M$  and  $t_A$  is the permissible operating time  $t_x$ .

In Sections 2.1 to 2.3, the handling of the various stress cases is portrayed using simple examples.

#### 2.1 Changing temperatures with constant stresses

Sought: Permissible service life  $t_x$   
 Given: Stresses  $K_K^{\text{vorh}}$   
 Operating temperatures  $\vartheta_1$  and  $\vartheta_2$

Corresponding to the time proportions at the individual temperatures, the computational service life  $t_M$  is located between the service lives of the partial stresses  $t_{M1}$  and  $t_{M2}$ . With the given stresses  $K_K^{\text{vorh}}$ , the line parallel to the strength axis through  $t_M$  results in the  $P$  point.  $P$  is located on a creep curve which would result between  $\vartheta_1$  and  $\vartheta_2$  at a constant temperature  $\vartheta_x$ .

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DVS, Technical Committee, Working Group "Joining of Plastics"

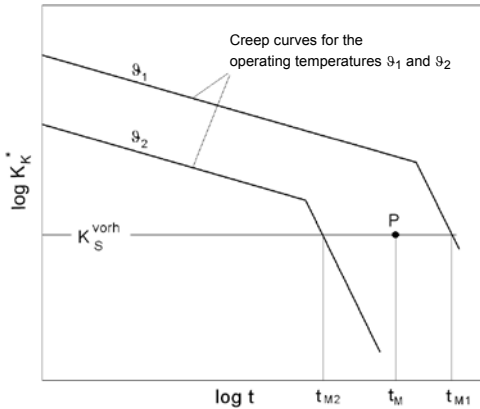


Figure 2. Service life at changing temperatures with constant stresses.

**Example for PE 63**

Operating conditions and damage proportions

Partial stresses	Stresses $K_S^{vorch}$	Temperature $\theta$	Time proportion $a$	Computational service life with partial stresses $t_{M1}$	Damage proportion %
1	5 N/mm <sup>2</sup>	30°C	90 %	314.593 years	2.6
2		42°C	10 %	0.946 years	97.4

(Values from DVS 2205-1, Supplement 1, Section 1.1)

According to Equation (5) in DVS 2205-1, the service life to be expected on the basis of the mechanical stresses is:

$$t_M = \frac{100 \cdot 314.593 \cdot 0.946}{90 \cdot 0.946 + 10 \cdot 314.593} = 9.21 \text{ years}^{(1)}$$

1) The same service life would be achieved with  $K_S^{vorch} = 5 \text{ N/mm}^2$  at a constant temperature of 37.6°C.

Ageing and damage proportions

Partial stresses	Temperature $\theta$	Time proportion $a$	Beginning heat ageing $t_A$	Damage proportion %
1	30°C	90 %	175.6 years	68.8
2	42°C	10 %	43 years	31.2

(Values from DVS 2205-1, Supplement 1, Section 5)

According to Equation (8) in DVS 2205-1, the service life to be expected on the basis of the ageing is:

$$t_A = \frac{100 \cdot 175.6 \cdot 43}{90 \cdot 43 + 10 \cdot 175.6} = 134.2 \text{ years}$$

$t_M < t_A$ , the permissible operating time is thus  $t_x = 9.21$  years.

**2.2 Changing stresses at a constant temperature**

Sought: Permissible service life  $t_x$   
 Given: Stresses  $K_{S1}^{vorch}$  and  $K_{S2}^{vorch}$   
 Operating temperature  $\theta$

Corresponding to the time proportions with the individual stresses, the computational service life  $t_x$  is located between the service lives of the partial stresses  $t_{M1}$  and  $t_{M2}$ . The line parallel to the strength axis  $t_M$  intersects the creep curve at the P point. This results in the equivalent stresses  $K_{SM}^{vorch}$ .

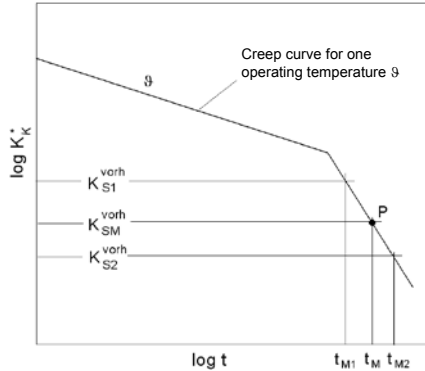


Figure 3. Service life with changing stresses at a constant temperature.

**Example for PP-B**

Operating conditions and damage proportions

Partial stresses	Stresses $K_S^{vorch}$	Temperature $\theta$	Time proportion $a$	Computational service life with partial stresses $t_{M1}$	Damage proportion %
1	3.5 N/mm <sup>2</sup>	60°C	20 %	16.3 years	2.6
2	2 N/mm <sup>2</sup>		80 %	138 years	97.4

(Values from DVS 2205-1, Supplement 2, Section 2.1)

According to Equation (5) in DVS 2205-1, the service life to be expected is:

$$t_M = \frac{100 \cdot 16.3 \cdot 20}{20 \cdot 138 + 80 \cdot 16.3} = 5.35 \text{ years}^{(2)}$$

2) The same service life would be achieved at a temperature of 60°C with a constant stress of  $K_{SM} = 2.54 \text{ N/mm}^2$ .

Ageing and damage proportions

Partial stresses	Temperature $\theta$	Time proportion $a$	Beginning heat ageing $t_A$	Damage proportion %
1	60°C	100 %	50 Jahre	100

(Values from DVS 2205-1, Supplement 2, Section 5)

The service life to be expected on the basis of the ageing is 50 years.

$t_A < t_M$ , the permissible operating time is thus  $t_x = 50$  years.